# Improved estimation of hourly direct normal solar irradiation (DNI) using geostationary satellite visible channel images over moderate albedo areas

A. Laguarda\*, R. Alonso-Suárez, G. Abal

Laboratorio de Energía Solar, Facultad de Ingeniería, UDELAR, J. H. y Reissig 565, CP 11700, Montevideo, Uruguay.

### Abstract

An accurate knowledge of the direct solar irradiance at normal incidence (DNI) is required to size solar energy systems, specially those using solar concentration technologies. In the absence of measurements, DNI can be estimated over an arbitrary site with a dedicated satellite model or by using satellite-derived global horizontal irradiance (GHI) and a phenomenological diffuse-direct separation model. This second procedure is error-prone, specially under partial cloudiness conditions and low solar elevation angles. A novel and simple semi-empirical satellite-based model to estimate DNI in moderate albedo regions using a physical clear sky model and a cloudiness index obtained from visible satellite imagery is proposed and assessed. An ergodic assumption in which the images are spatially averaged to better represent the hourly time basis is used. Over the target region (Southeastern South America, SESA), the new DNI satellite model outperforms the alternative strategy at the hourly level, with an average uncertainty of 20% (versus 25%) when compared with three measurement station's data sets located in center Argentina, southern Brazil and Uruguay. *Keywords:* Solar radiation, Direct normal irradiance, satellite modeling, semi-empirical model, GOES-East images

#### 1. Introduction

Direct normal solar irradiance (DNI) is the portion of solar radiation that reaches the ground from a small solid angle around the Sun (circumsolar region). It is the most relevant variable required to evaluate the technical and economical feasibility of concentration of solar power (CSP) projects. It is also required to estimate global solar irradiance on inclined surfaces from global horizontal irradiance (GHI), and ultimately, the expected PV power production.

DNI is measured with a pyrheliometer mounted on a precision solar tracker. However, this implies high costs and maintenance requirements and makes long measurement series of DNI relatively scarce. In absence of local quality ground measurements, DNI can be estimated from GHI (satellite-derived or ground •

<sup>\*</sup>Corresponding author: A. Laguarda, agu.laguarda@gmail.com

<sup>10</sup> measured) by using diffuse fraction models, ( $f_d = DHI/GHI$ ), where DHI is the diffuse horizontal irradiance. <sup>11</sup> Phenomenological parameterizations for  $f_d$  are usually associated with significant errors (Gueymard and

Ruiz-Arias, 2016) even if trained with local data (Abal et al., 2017). Furthermore, this method is not

adequate for DNI estimation at low Sun angles as the error is amplified by the  $1/\sin \alpha_s$  factor, where  $\alpha_s$  is the solar altitude.

An alternative form of estimating DNI is to use a satellite-based model that includes the relevant in-15 formation on the state of the atmosphere. Heliosat-4 (Qu et al., 2017) is the last-reported Heliosat family 16 model, based on the Meteosat satellite images and other remote-sensed or modeled information. It is a 17 physically motivated model that estimates GHI and DNI for all sky conditions based on two look up tables 18 (LUT) schemes that model the clear sky radiation (Lefèvre et al., 2013) and cloud effects. These LUT result 19 from a Radiative Transfer Model (RTM) with several combinations of atmospheric and cloud conditions. 20 Another family are the SUNY models (Perez et al., 2015). They use GOES satellite information to estimate 21 solar radiation over the Americas with an empirical parametrization of cloud effects. In the past years, the 22 National Solar Radiation Database (NSRDB, https://nsrdb.nrel.gov/) has developed a model to estimate 23 DNI with focus on North America based on RTM parametrizations (Sengupta et al., 2014a,b, 2018; Xie 24 et al., 2016). Recently, some physical improvements were applied to consider the contribution of circumsolar 25 radiation on the Sun-observer direction on the DNI component (Xie et al., 2020). Regarding South America, 26 (Porfirio and Ceballos, 2017) presented a DNI satellite model based on visible channel GOES-East infor-27 mation. The model is built from physical considerations and calculates DNI over Brazil using atmospheric 28 information from different sources. 29

Previous assessments for satellite-based DNI models at the hourly level, as summarized in Table 1, show that satellite-based estimation of DNI has typically a relative root mean square deviations (rRMSD) with a lower bound around 30% (in terms of the average DNI)<sup>1</sup>. This is significantly larger than the corresponding bound for GHI estimation models which can be as low as 12% of the mean hourly GHI (Laguarda et al., 2020), depending on the site. These results are not to be used to rank models according to performance, since the accuracy of a DNI model depends on local conditions and on the quality of the atmospheric inputs, among other factors. However, Table 1 provides context and shows that there is room for improvement in satellite-based DNI estimation.

In this article, a simple operational model to estimate DNI from visible channel satellite information is presented and assessed. Visible channel images provide daylight cloud information suitable for satellitebased solar radiation models. Cloud detection from the visible channel fails when the target pixel has a high albedo, since clouds can not be distinguished from the bright background. Thus, the model in its present

<sup>&</sup>lt;sup>1</sup>All the statistical performance metrics used in this work are defined in the usual form (Gueymard, 2014) and are expressed in relative terms as a percentage of the measured variable.

 $<sup>^{2}</sup>$ Estimates DNI from the diffuse separation algorithm proposed by Liu and Jordan (1960).

	Performa	ance of satel	lite-derived hourly DNI	
Model	rMBD	rRMSD	sites of validation	reference
SUNY-v1	-4.1	35.1	10 sites en USA	Perez et al. (2002)
SUNY-v1	-18.0	52.0	8 sites en USA	Perez et al. (2015)
SUNY-v2	-2.4	29.9	$10~{\rm sites}$ en USA	Perez et al. (2002)
SUNY-v2	+6.8	31.0	4 sites en California	Nonnenmacher et al. (2014)
SUNY-v2	-2.5	48.0	8 sites en USA	Perez et al. $(2015)$
SUNY-v3	+14.3	67.2	$3~{\rm sites}$ en Canada	Djebbar et al. (2012)
SUNY-v3	+3.5	38.0	8 sites en USA	Perez et al. (2015)
SUNY-v4	-0.5	33.0	8 sites en USA	Perez et al. (2015)
SolarGIS	-2.0	34.1	18 sites en Europe	Ineichen (2014)
NSRDB(v2)	+4.5	33.2	9 sites en USA	Habte et al. $(2017)$
Heliosat-3 <sup>2</sup>	+6.0	47.4	18 sites in Europe	Ineichen (2014)
Heliosat-4	+0.5	28.0	France, Switzerland	www.soda-pro.com/web-services
Heliosat-4	0.0	39.0	Florianópolis	www.soda-pro.com/web-services

Table 1: Averaged performance Metrics (in % of the mean) reported for hourly satellite-derived DNI.

form is not adequate for areas with significant snow cover or other high albedo surfaces, such as desert areas or salt flats. As a concrete example, we implement the model using publicly available images from the visible channel of the geostationary satellite GOES-East (administrated by the National Oceanic and Atmospheric Administration, NOAA) and test it against hourly ground data for three sites in Southeastern South America (SESA region, (Bettolli et al., 2021; Hu et al., 2022)), a region mostly covered by grasslands without significant elevations and with low-moderate surface albedo.

The method can be potentially applied to other sites for which visible-channel geostationary satellite 48 images are available and provided the target area has a moderate albedo. The model is based on the cloud 49 index strategy originally proposed by Cano et al. (1986) for GHI estimation and later adopted by various 50 authors such as Perez et al. (2002); Rigollier et al. (2004); Laguarda et al. (2020). In this scheme, the 51 ground irradiance is a fraction of the corresponding clear sky irradiance, as estimated with a suitable clear 52 sky model. The effect of clouds is taken into account with an attenuation factor which can be modeled from 53 visible channel images of a geostationary satellite. The implicit assumption that the clear sky modeling 54 and the cloud attenuation are independent instances, has a performance cost that has been quantified with 55 root mean deviations (RMSD) between 2 and 5% of the average DNI (on a one-minute timescale) (Oumbe 56 et al., 2014; Xie et al., 2016). However, the gain provided by this assumption in terms of simplicity and 57 computational requirements compensate this cost, when compared to detailed radiative transfer calculations. 58 Each satellite image quantifies cloudiness through a dimensionless cloudiness index  $\eta$ . Under arbitrary 59 conditions of cloudiness, the attenuation of radiation (with respect to clear sky conditions) is empirically 60 parameterized as a function of  $\eta$  in a form that is only weakly site-dependent, a feature that should be 61

62 checked over the area of application. Models of this type are generically called Cloud Index Models or CIM.

<sup>63</sup> A CIM for GHI has recently been implemented by our group for the SESA region, obtaining an excellent

accuracy in terms of rRMSD, of 12% at the hourly level and 15% of the mean at the 10-minute timescale

65 (Laguarda et al., 2020, 2021). The present work extends these developments to the estimation of DNI.

#### 66 2. Information base

The CIM model described in Section 3 is implemented and evaluated using ground data from three sites 67 representative of the SESA region (see Figure 1). This area has an approximate surface of  $1500 \text{ km}^2$ , is 68 widely populated, and has an intense socioeconomic activity associated with food production and cattle rising. This territory is geographically homogeneous and composed mainly of low-altitude grasslands (below 70 1500 m above mean sea level) and snow events are very exceptional. The area includes the territory of 71 Uruguay, southern Brazil and eastern Argentina. Its climate is temperate with hot summers without dry 72 seasons, being classified as Cfa in the updated Köppen-Geiger classification scheme (Peel et al., 2007; Beck 73 et al., 2018). The solar irradiance short-term variability of the region is intermediate (Alonso-Suárez et al., 74 2020), in which clear, partly cloudy and overcast sky conditions alternate. In this section, the details of the 75 used ground and satellite information are provided. 76

#### 77 2.1. Ground Measurements

Ground measurements for GHI and DNI from three sites with the coordinates and data periods listed 78 in Table 2 are used. The equipment and protocols of the three sites meet the quality requirements of the 79 Baseline Surface Radiation Network (McArthur, 2005) although only the SM site (São Martinho da Serra, 80 a site of the SONDA radiometric network, Brazil) is formally a part of BSRN. The other two are the main 81 station of the Solar Energy Laboratory (LES) network at Salto, Uruguay (site code: LE) and the labora-82 tory site of the Gersolar research center, National University of Luján, located 50 km from Buenos Aires, 83 Argentina (site code: LU). At all sites, GHI is measured with class A spectrally flat pyranometers (accord-84 ing to ISO 9060:2018 standard) with ventilation units, while DNI is measured using Kipp & Zonen CHP1 85 pyrheliometers mounted on precision solar trackers. The instruments are cleaned and visually inspected on 86 weekly basis. The instruments at the LE site are calibrated every two years using class A pyranometers 87 and pyrheliometers (Kipp & Zonen CMP22 and CHP1, respectively, kept in storage) with traceability to 88 the World Radiometric Reference (WRR) at World Radiation Center (WRC) in Davos, Switzerland. At 89 the LU site, instruments are periodically compared to a calibrated Kendall absolute cavity radiometer, also 90 with WRR traceability, which is kept in storage and used sporadically as a reference. As mentioned, the SM 91 site is part of the Brazilian SONDA network, installed and managed by the Instituto Nacional de Pesquisas 92 Espaciais (INPE) (Dias da Silva et al., 2014). 93

Site	Site code	$Lat.(\circ)$	$\mathbf{Lon.}(^{\circ})$	<b>Alt.</b> (m)	Data period
LES (Salto)	LE	-31.28	-57.92	56	01/2015 - 12/2017
São Martinho da Serra	MS	-29.44	-53.82	489	01/2010 - 12/2016
Luján	LU	-34.59	-59.06	30	01/2010 - 12/2012

Table 2: Measurement's sites information. The columns show the site's code, the spatial coordinates and altitude above sea level, and the period span of the measurements used in this work.



Figure 1: Site locations to test the proposed DNI satellite-based CIM models in this work.

## Quality control

The set of measurements includes pairs of simultaneous (GHI, DNI) values registered at the 1-minute  $^{05}$ level as a result of an average of 6 instantaneous values taken at 10-second intervals. Then, measurements  $^{06}$ are integrated into hourly values (in Wh/m<sup>2</sup>) as long as at least 2/3 of the one-minute data are available  $^{07}$ for each hour. The hourly data series of DNI and GHI are subjected to a basic quality control procedure  $^{08}$ based on a visual inspection and four successive filters described schematically in Table 3.  $^{09}$ 

The first three filters are conceptually similar and consist of upper bounds for the irradiation values. <sup>100</sup> The first criterion is the BSRN recommendation to filter extremely rare values (Long and Shi, 2008). The <sup>101</sup> second one is to impose an upper envelope for each component determined by the ESRA clear sky model <sup>102</sup> (Rigollier et al., 2000) with an artificially low turbidity value for the specific region ( $T_L = 1.8$ , in this case). <sup>103</sup> The third one consists of a threshold for the modified clearness index Perez et al. (1990) for GHI, and the <sup>104</sup>

determination of a typical region of the data on the  $(k_t, k_n)$  space, where  $k_t$  is the usual clearness index (ratio 105 between GHI and its corresponding irradiation at the top of the atmosphere, TOA) and  $k_n$  is the broadband 106 direct transmittance (ratio between DNI and TOA irradiation at normal incidence). The measurements 107 outside this region are discarded as problematic. An example is shown in Figure 2, for the LE site. This last 108 criterion is capable of removing misalignment errors and other problematic data. The SERI-QC procedure 109 (Maxwell et al., 1993) bounds this typical region by two characteristic double exponential curves (also known 110 as Gompertz curves), which are empirically and visually adjusted for each site. Finally, the fourth filter 111 removes the measurements with solar altitudes lower than  $7^{\circ}$ , which, in the case of GHI, are affected by the 112 cosine error. 113

Filter	Component	Condition	Description
i	GHI	$-2 \ {\rm Wh/m}^2 < I_h < I_0 \ 1.2 \ \cos \theta_z^{1.2} + 50 \ {\rm Wh/m}^2$	BSRN extremely rare
1	DNI	$-2 \ {\rm Wh/m^2} < I_b < I_0 \ 0.75 \ \cos \theta_z^{1.2} + 30 \ {\rm Wh/m^2}$	limits (Long and Shi, 2008).
ii	GHI	$0~{\rm Wh/m^2} < I_h < I_h^{ESRA}$	ESRA clear sky model upper
11	DNI	$0~{\rm Wh/m^2} < I_b < I_b^{ESRA}$	limit $(T_L = 1.8).$
iii	GHI	$k_{tp} < 0.85$	Modified clearness index threshold.
111	GHI & DNI	Typical region of $(k_t, k_n)$ space	Based on SERI-QC
		determined by Gompertz curves.	(Maxwell et al., 1993).
iv	GHI & DNI	$\alpha_s > 7^{\circ}$	Minimum solar altitude.

Table 3: Quality control filters applied on GHI and DNI irradiation components. The TOA irradiation is denoted by  $I_0$ , and the supra-index ESRA denotes that the corresponding variable is estimated with this clear sky model.

The Table 4 shows the results of the quality control procedure for each site. On average, 85% of the data meets the quality criteria for its use in this work. After the quality procedure, 25517 hours of DNI records are used.

	Diurnal data	Filte	Filter (ii)		Filter (iii)		Filter (iv)	
$\mathbf{site}$	valid data	disc.	hours	disc.	hours	disc.	hours	selected
LE	9474	0.0%	9473	13.8%	8168	5.0%	7758	81.9%
MS	15390	0.0%	15387	9.8%	13876	4.1%	13303	86.4%
LU	5262	0.5%	5235	11.3%	4644	4.0%	4456	85.1%
total	30126	0.2%	30095	11.3%	26688	4.4%	25517	84.7%

Table 4: Results of the quality control of hourly DNI measurements. The starting set is the valid data selected after passing filter (i) and a visual inspection. The percentage of samples discarded by each criterion is shown. The last two columns show the number of samples that passed all filters and its percentage of the initial set.



(a) DNI vs cosine of the solar zenith angle.

(b) Quality filters in the  $k_t - k_n$  space.

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Figure 2: Quality filtering results for the LE site showed in two diagrams. In the right plot, the lines show the double exponential boundaries (Gompertz functions) used to determine a typical region for each site's data. The x = y is also included (dashed line) as reference.

### 2.2. GOES-East satellite visible channel images

As mentioned in the introduction, CIM models quantify the effect of cloudiness in the ground-level solar 118 irradiance by using satellite information in the visible range. Cloudiness can be challenging to distinguish 119 from the background in areas with a high albedo, such as snow-covered, desert, or salt flats. In these cases, 120 including more cloud information from GOES infrared images, atmospheric modeled data, or other satellites 121 becomes necessary. The target region of this study does not include such areas, making additional satellite 122 information unnecessary. By this, the model's scope is limited to moderate or low albedo sites. However, 123 its ease of use and minimal input requirements compensates, as can be applied widely and easily without 124 compromising its performance. Incorporating more cloud information is critical to extending the model's 125 applicability to all-site coverage.

The satellite images used in this work are from the GOES-East geostationary satellite (placed above the 75°W meridian), which has a viewing angle of approximately 40° over the region of interest (Laguarda et al., 2020). The GOES-13 physical satellite was operational during the considered period<sup>3</sup> at that location and its visible range (wavelengths between 0.54  $\mu$ m and 0.71  $\mu$ m) images were considered in terms of Reflectance Factor,  $F_R$ . Under normal operating conditions, the GOES-13 satellite generated two images per hour for South America. However, this operational regime could be affected to monitor closely meteorological priorities like hurricane events in the Caribbean and USA's East and Central coasts, leaving South America occasionally with images every 3 hours only. Hourly reflectance factor series,  $F_R$ , were obtained for this

<sup>&</sup>lt;sup>3</sup>GOES13 was operative from April 2010 to December 2017.

work for the three sites with ground data and for the period of interest via linear interpolation of the Earth's albedo  $\rho = F_R / \cos \theta_z$ , being  $\theta_z$  the solar zenith angle.

There is a compromise between using instantaneous satellite images<sup>4</sup> to represent an hourly average over a site. This issue is solved here via an ergodic assumption, using a spatial average in small cells containing each site. The spatial average of an instantaneous image represents better the mean irradiance behavior within the hour. This idea has been successfully applied to GHI satellite estimation (Laguarda et al., 2020), improving CIM performance. For this work we use as cell area a latitude-longitude rectangle of  $15 \times 18$  km, and perform the same spatial average as in Laguarda et al..

#### 143 2.3. Atmospheric information from MERRA-2

The CIM models require accurate estimates of DNI under clear sky conditions. Clear sky models rely on 144 quality atmospheric information for its accuracy. In this work, we consider two clear sky models, detailed 145 in Subsection 3.1, with different atmospheric information as inputs. One of these sources is the NASA's 146 Modern-Era Retrospective Analysis for Research and Applications database version 2 (MERRA2, Gelaro 147 et al. (2017)). MERRA2 is a reanalysis data set obtained from the Global Earth Observing System Version 148 (GEOS-5) atmospheric model. It provides hourly averages for several atmospheric variables over the 5149 entire globe, for the period 1980 to present, with spatial resolution of  $0.5^{\circ} \times 0.625^{\circ}$ . MERRA2 integrates 150 measurements from different sources, such as the Aqua and Terra MODIS instruments, the MISR (Multiangle 151 Imaging SpectroRadiometer), the AVHRR (Advanced Very-High-Resolution Radiometer) for 2000-2014 and 152 airborne sensors (1980-2002). It also incorporates ground-based observations from the Aeronet network 153 (https://aeronet.gsfc.nasa.gov/). 154

In Gueymard and Yang (2020), MERRA2 estimates for aerosol-related variables such as Aerosol Optical 155 Depth at 550 nm (AOD<sub>550</sub>) and the Angström exponent ( $\alpha$ ) are evaluated over different climatic regions 156 (characterized by their Köpen-Geiger classification) over the 2003-2017 period, using ground measurements 157 from 800 Aeronet sites as a reference. For a Cfa climate (as the target region in this work), AOD<sub>550</sub> shows 158 a mean bias (rMBD) of -1.1% and a rRMSD of 35%, averaged over the three Aeronet sites in the region 159 (Córdoba, CEILAP Buenos Aires and São Martinho da Serra). In a local study, Laguarda and Abal (2020) 160 evaluated the accuracy of MERRA2 estimates for AOD<sub>550</sub>, Angström's exponent  $\alpha$  and precipitable water 16 vapor over the same three Aeronet sites obtaining an rRMSD of 33.4% for AOD<sub>550</sub>, 26.8% for  $\alpha$  and 11.2% 162 for water vapor. It is clear that MERRA2 provides a rather high uncertainty when estimating aerosol-163 related variables, as evidenced by the  $AOD_{550}$  estimation, which has rRMSD above 30% in both studies. 164 Although this limitation, the benefit of accessing a cohesive archive of atmospheric data from around the 165 world through a single source is significant. 166

<sup>&</sup>lt;sup>4</sup>Indeed, the geostationary satellite images are quasi-instantaneous, as the radiometer detector's array scans each pixel at different moments. The time difference between pixels' scans is of some minutes and a correction on this is not usually applied.

## 3. Proposed DNI model (LCIM)

The proposed DNI model, named LCIM (LES Cloud Index Model), follows the basic structure of all CIM models,

$$\hat{I}_b = I_b^{cs} \times F(\eta),\tag{1}$$

where  $\hat{I}_b$  is the model's DNI estimate,  $I_b^{cs}$  is a clear sky DNI estimate and F is a cloud modifier factor expressed as a function of the satellite cloud index,  $\eta$ , defined next in Subsection 3.2. The success of a CIM model depends on the accuracy of the clear sky model, as well as on the definition of the cloudiness index  $\eta$  and the empirical determination of its relationship with the attenuation factor, F.

#### 3.1. Clear sky models

In order to determine the best option to estimate clear sky beam irradiation, we considered several 175 clear sky models with different characteristics. For brevity, here we present results for the two with the 176 best performance over the region:, REST-2 (Gueymard, 2008) and McClear (Lefèvre et al., 2013). The 177 first is operationally implemented while the second provides downloadable online estimates for arbitrary 178 sites over the globe. These clear sky models have been previously assessed and highlighted among other 179 alternatives due to their performance (Gueymard, 2012; Engerer and Mills, 2015; Ineichen, 2016; Ruiz-Arias 180 and Gueymard, 2018; Antonanzas-Torres et al., 2019). The clear sky samples required for the present 181 model's evaluation were selected from the filtered hourly data set by extensive visual inspection aided by 182 the calculation of common quantities as the hourly and daily clearness indexes ( $k_t$ , and also  $k_{tp}$  at hourly 183 level) and the direct transmittance  $(k_n)$ . 184

REST2 estimates DNI and other irradiance components (Gueymard, 2008). It is related to the SMARTS2 185 spectral model (Gueymard, 2018) but in two sub-bands: 290–700 nm (ultraviolet and visible) and 700– 186 4000 nm (near infrared). The model uses up to 8 atmospheric variables as input, being the most relevant 187 the aerosol-related quantities, Angstöm turbidity factor ( $\beta$ ) and exponent ( $\alpha$ ), and the precipitable water 188 column, available from the MERRA-2 database described in Subsection 2.3. With this input information, 189 REST2 clear sky DNI estimates have a rRMSD of 6.4% and a rMBD of -2.8% over the three SESA sites, as 190 reported in Table 5. The McClear clear sky model is based on LibRadTran Radiative Transfer calculations 191 (Mayer and Kylling, 2005) and works operationally as a look-up table (Lefèvre et al., 2013). For estimating 192 GHI, DHI and DNI, information of aerosol content, precipitable water and ozone columns and surface albedo 103 are required. This atmospheric information is provided at three-hour intervals by the Copernicus Atmosphere 194 Monitoring Service (CAMS) reanalysis database, while the daily albedo is obtained from NASA's MODIS 195 imagery, https://modis.gsfc.nasa.gov/data/dataprod/. McClear's hourly estimates are publicly available at 196 the CAMS website (https://atmosphere.copernicus.eu/) with global coverage. The original resolution is 197 50-150 km and the download procedure includes an interpolation that generates estimates at any location 198

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with time resolution up to 1 minute. The McClear model estimates DNI in the SESA region with rRMSD of 6.3% and rMBD of -1.1%.

model	atmospheric info.	$\mathbf{rMBD}\ (\%)$	$\mathbf{rRMSD}\ (\%)$	$\mathbf{KSI} \; (\mathrm{Wh}/\mathrm{m}^2)$
REST2	MERRA2	-2.8	6.4	26.3
McClear	CAMS	-1.1	6.3	21.2

Table 5: Performance of the clear sky models as implemented in this work. Performance indicators are expressed as a percentage of the mean hourly clear sky DNI ( $I_b = 836 \text{ Wh/m}^2$ ). The evaluation is based on 2493 clear sky samples (831 values per site, on average). KSI is the Kolmogorv-Smirnoff Index, measuring the absolute difference between the cumulative distributions functions of the estimated and measured DNI.

As summarized in Table 5, both clear sky models have a similar performance over the target area (see rRMSD and KSI), with McClear showing a smaller bias. However, both have different characteristics and, in our implementation, are based on different atmospheric data sets.

### 204 3.2. Cloud attenuation

To quantify the pixels' cloudiness from visible channel images, the planetary (or Earth) albedo ( $\rho$ ) is calculated by normalization with a dynamic range of extreme values (minimum and maximum) obtaining a cloud index  $\eta$  bounded by unity and zero (Cano et al., 1986),

$$\eta = \frac{\rho - \rho_{min}}{\rho_{max} - \rho_{min}} \qquad \text{for} \quad \rho_{min} < \rho < \rho_{max}. \tag{2}$$

The minimum values, associated with clear skies, present seasonal and intra-day variations that depend on 208 each pixel, i.e.  $\rho_{min}$  is a time-varying map over the area of interest. On the other hand, the maximum 209 values are associated with overcast skies and have no evident seasonal dependence. To ensure that  $\eta$  is in 210 the range [0,1], the constrains  $\eta = 1$  for  $\rho > \rho_{max}$  and  $\eta = 0$  for  $\rho < \rho_{min}$  are imposed. To estimate the 211 intra-day and seasonal variation of the background albedo  $\rho_{min}$ , the parametrization proposed in Tarpley 213 (1979) and adapted to GOES-East reflectance factor in Alonso-Suárez (2017) is adjusted for each pixel in 213 the image using the satellite clear sky samples, which are automatically selected from the pixel's satellite 214 time-series by a robust iterative procedure, described in detail in Alonso-Suárez et al. (2012). 215

The maximum value  $\rho_{max}$  is related to the saturation of  $\rho$  under overcast skies. In this proposal this is determined by an empirical constant. Its value for DNI estimation is adjusted to local conditions by using the ground measurements, showing an optimum value (in terms of RMSD) of  $\rho_{max} \simeq 0.46$ -0.54, as shown in Figure 3. This figure illustrates the rRMSD variation of each LCIM model with respect to  $\rho_{max}$ , using the same LCIM structure and different clear sky estimates. The bands in transparency shown one standard deviation between the three measuring sites. This value of  $\rho_{max}$  is in agreement with the one reported by Ceballos et al. (2004) for satellite DNI estimation ( $\rho_{max} = 0.465$ ). This exact value was found statistically by Ceballos et al. from the satellite images by seeking to identify the reflectance's threshold value between cumuliform and stratiform clouds in overcast skies, for which the DNI attenuation regime changes significantly.



Figure 3: rRMSD of the optimized LCIM using  $\rho_{max}$  as a parameter. Each line corresponds to a different clear sky model and the transparency bands represent the standard deviation over the three sites. The minima are shallow and, for simplicity, this parameter is fixed at  $\rho_{max} = 0.5$  (or 50%) for all models.

According to Eq. (1), the cloudiness factor, F, represents a clear sky index for the direct irradiation, 226  $k_{b,cs} = I_b/I_b^{cs}$ . Figure 4 shows the dependence of this ratio with  $(1 - \eta)$  for the LE site, using the REST2 227 clear sky model as basis for the  $k_{b,cs}$  calculation and DNI measurements. A dependence on the solar zenith 228 angle (mapped in the color of the points) is not evident. In change, a clear dependence between the two 229 plotted variables is observed. In Laguarda et al. (2020) we noted that for GHI, the relationship of  $k_c$  (GHI 230 clear sky index) and  $(1-\eta)$  can be modeled as linear, which is also used in other satellite GHI models (Perez 231 et al., 2002). In this case, it is evident that a more complex relationship is required for DNI. In order to 232 maintain only two adjustable parameters (a and b), a quadratic dependence is proposed, 233

$$F(\eta) = a (1 - \eta)^2 + b.$$
(3)

It is expected that DNI suffers low attenuation with respect to the clear sky estimate when there are no clouds ( $\eta \simeq 0$ ) and total attenuation under overcast skies ( $\eta = 1$ ). By having integrated data in one hour, the average behavior results and the effects of partial cloudiness are softened. That is why Eq. (1) shows an accumulation of points with  $k_{b,cs}$  less than 0.1 and a smooth transition (associated with partial cloudiness) towards values close to 1. Due to all these, the quadratic adjustment is carried out keeping both parameters (a and b) independent, and b is expected to be close to zero.



Figure 4: Behaviour of the beam clear sky index using REST2 model at LE site.

Table 6 shows, for each site, the cloudiness factor parameters a and b. The adjustment of these coefficients 240 is done along with the performance assessment (shown in Section 4) using a standard cross-validation 241 procedure in which the data set is divided into two separated halves that are used for training and validation, 242 respectively. This procedure is repeated 1000 times with random sampling to ensure repeatability, and the 243 average coefficients' value and performance metrics are reported. The last column shows the spatial average 244 and the relative inter-site standard deviation of the mean (in parentheses), showing that the results are 245 consistent over the three sites for each model. The inter-model average value of a is 0.89 and shows low 246 spatial variability in all cases, while the independent term, b, is on average 0.055 with greater relative 247 variations, depending on the model and site. In Laguarda et al. (2020), in the context of CIM models 248 for GHI, the spatial robustness of the parameters allowed the application of a single average value of each 249 coefficient at arbitrary locations in the region, without significant loss of precision. The same observation 250 can be made for the DNI models presented here. 25

## 252 4. All-sky DNI model performance

The basic performance metrics for the two CIM variants for DNI estimation are shown in Table 7. The last row shows the mean measured DNI used for metrics' normalization at each site and the last column

Model	Parameter	$\mathbf{LE}$	MS	$\mathbf{LU}$	Average
CIM-McClear	a	0.875	0.836	0.901	0.882 (3.8%)
	b	0.061	0.061	0.052	0.057~(8.6%)
	а	0.922	0.859	0.899	0.905~(3.6%)
CIM-REST2	b	0.054	0.063	0.045	0.051~(16.7%)

Table 6: Cloud factor coefficients, Eq. (3), for each DNI CIM model using different clear sky estimates. The last column shows the average across sites with its site dispersion in parenthesis.

shows the average for all sites. This is a weighted average in which the estimated relative uncertainty 255 associated with each data series is taken into account. By considering the maintenance schedule of each 256 station, a relative uncertainty of 2% was assigned to the LE and LU sites and 4% to the MS site. The 257 normalized squared inverse of these uncertainties was used as weights for the average, thus giving more 258 importance in this model's assessment to the lower uncertainty data records. Small biases (less than  $\pm 0.7\%$ ) 259 are obtained for both models at all sites. Low biases are to be expected, since the coefficients a and b play 260 the role of a local adjustment. The averaged dispersion (quantified by the rRMSD) is between 18.4 and 261 19.1% and the KSI is between 15.8 and 18.4 Wh/m<sup>2</sup>. These metrics suggest that the CIM-REST2 with 262 MERRA2 inputs has greater accuracy than CIM-McClear with CAMS atmospheric information, for which 263 a small systematic underestimation persists in all three sites. 264

Model	Metric	$\mathbf{LE}$	$\mathbf{MS}$	$\mathbf{LU}$	Average
	rMBD (%)	-0.2	+0.1	0.0	-0.1 (0.2)
CIM-REST2	rRMSD (%)	17.1	22.4	18.7	18.4(2.7)
	$\mathrm{KSI}(\mathrm{Wh}/\mathrm{m}^2)$	14.0	18.6	16.8	15.8(2.3)
	rMBD (%)	-0.4	-0.1	-0.7	$-0.5 \ (0.3)$
CIM-McClear	rRMSD (%)	17.4	22.8	19.8	19.1 (2.7)
	$\mathrm{KSI}(\mathrm{Wh}/\mathrm{m}^2)$	15.5	19.4	21.0	18.4(2.8)
	# data points	7622	12956	4376	24934
	$\langle I_b  angle ({ m Wh/m}^2)$	579.3	472.4	548.0	553 (55)

Table 7: Performance of DNI estimates for CIM with different clear sky models. The last rows show the number of data pairs used (considering quality measurements and satellite availability) and the irradiation average over sites.

Figures 5a and 5b show the scatter plots comparing the DNI estimates from each model to the corresponding ground measurements. The density of points is mapped to a green-yellow color map. The two

high-density regions correspond to clear sky (high DNI) and overcast skies (low DNI). This can also be ob-267 served in the bimodal probability density plots shown in Figure 5c. Under clear sky conditions, the scatter 26 plots for both CIM models do not exhibit any apparent bias. However, the density plot indicated that the 269 CIM-REST2 model is a closer approximation to the clear sky data probability distribution. The dispersion 270 is larger at intermediate values of DNI, indicating that DNI CIM methods have difficulties in accurately 27 modeling irradiation under partial cloudiness conditions. It can also be noticed that the CIM-ESRA model 272 has more difficulties in capturing the probability distribution of the DNI-measured data. Both CIM models 273 are imprecise in representing the lower DNI values' probabilities, indicating room for improvement in pre-274 dicting values close to zero. The CIM-REST2 is the best overall model from the probabilities point of view, 275 correspondingly coinciding with the lowest metrics (and the KSI value in particular). 27

#### 277 Contextualization with alternative approaches for DNI estimation

A first contextualization of the previous results arises from the comparison with DNI satellite-based 278 estimations for other regions, such as those described in Table 1, keeping in mind that models can not be 279 ranked nor compared using data from different locations or even different periods for the same location. 280 Direct comparison is hindered by another issue, which is the lack of information in most previous studies 281 about satellite spatial averaging and its ability to account for hourly values in an ergodic manner. The 282 hourly performance can be enhanced by this factor. The only study that discusses ergodicity is the one 283 conducted by Porfirio and Ceballos (2017), which used a cell size of approximately  $12 \times 12$  km. However, the 284 evaluation was performed on a daily time scale, making the comparison unfeasible. The results presented 285 in Table 7 must be framed in this context, in particular, concerning the known performance of the other 286 satellite-based DNI models at other locations. 287

Another approach for DNI estimation is to use GHI information (either from measurements or from a satellite-based model) and a phenomenological diffuse fraction model estimate the diffuse component. Then 290

$$DNI = GHI \times \frac{1 - f_d}{\cos \theta_z}.$$
(4)

where  $f_d = DHI/GHI$  is the diffuse fraction. Since the separation problem depends on the typical local atmospheric composition there are many phenomenological models in use looking for the best balance between a minimal set of predictors and acceptable accuracy (Gueymard and Ruiz-Arias, 2016). Abal et al. (2017) locally adjusted and evaluated ten separation models using data from the same target region of this work. Of these, the one by Ruiz-Arias et al. (2010) strikes the best balance between simplicity of use and performance, being also operational (i.e. it does not require future information as input). This model (referred to as RA2s, according to the nomenclature of Abal et al.) has the form of a double exponential function,

$$f_d = a_0 - a_1 e^{-\exp(a_2 + a_3 k_t + a_5 m)},\tag{5}$$

with the set of locally adjusted parameters ( $a_i$  for i = 0...5), for the specific values valid for the whole 2009 region see Abal et al. (2017). The RA2s model is then essentially unbiased and can estimate the diffuse 3000



(c) Probability density plot.

Figure 5: Scatter plots for each model in the LE site (a and b subplots). The density of points is mapped to green-yellow colors. The last panel (c) shows the density plots for both models and the measurements (dashed line).

fraction with an rRMSD under 20%, relative to an average value  $\langle f_d \rangle = 0.47$ .

An obvious problem with this approach is that the error in the DNI estimates increases for low-Sun 302 altitudes due to  $\cos \theta_z = \sin \alpha_s$  becoming very small. The expression is also affected by the high uncertainty 303 of empirical diffuse fraction models, which do not attempt to model in detail the complex scattering processes 304 in the atmosphere. This becomes particularly relevant under partly cloudy sky conditions. However, due 30 to its convenience, this phenomenological approach is still used in practice to estimate DNI in the absence 306 of more reliable information. Table 8 shows the performance indicators when estimating DNI from either 307 GHI measurements or GHI satellite estimates, by using Eqs. (4) and (5). This analysis has been done with 308 the same data set used in Table 7 and is intended to provide a comparison of this simplified approach with 309 the direct satellite DNI estimation from CIM models. For the case in which GHI satellite estimates are 310 used, a satellite model needs to be selected. In (Laguarda et al., 2020), two CIM models for GHI, based 311 on the ESRA (Rigollier et al., 2000) and McClear clear sky models, were implemented and evaluated with 312 very good results for ten sites in the same region of this work (including the three sites used here). The 313 simple CIM-ESRA model was unbiased and achieved an hourly rRMSD of 12.5% (based on an average GHI 314 of 448 Wh/m<sup>2</sup>), which was found comparable to more complex models<sup>5</sup>. These GHI estimates are used in 31! Table 8. DNI estimated from both indirect models shows significant positive biases for all sites ( $\simeq 6.7\%$ 316 on average). This is due to the use of the RA2s diffuse fraction model under partially cloudy skies, as was 317 previously observed for data from the same region Abal et al. (2017). This causes an overestimation of DNI, 318 after Eq. (4). This overestimation can be seen in the scatter plots of Figure 6 (LE site), particularly under 319 partly cloudy conditions. The DNI estimated from ground measurements has a rRMSD of  $\simeq 17\%$  which 320 increases to  $\simeq 25\%$  when satellite-based GHI is used, showing that the use of GHI satellite estimates in this 321 indirect procedure significantly degrades the accuracy of the DNI estimation. This means that when GHI 322 ground measurements and a locally adjusted diffuse fraction model are available, the simplified procedure 323 yields acceptable performance compared to satellite-based DNI models. The requirement of a local diffuse 324 fraction model presupposes that diffuse horizontal irradiance measurements are available at the site or in 32! the surrounding area, which is not usually the case. In addition, the competitive ground-based strategy 326 requires on-site GHI measurements. When the standalone satellite estimation is considered, it is clear that 327 a dedicated satellite-based DNI model should be the preferred strategy, as all metrics are significantly better. 328 These results indicate that CIM based satellite-based estimation of DNI is more accurate than indirect 329 approaches based on phenomenological separation models, so it should be preferred for low to moderate 330 albedo regions if satellite information is available. Other phenomenological direct-diffuse separation models 331 may be considered, but we do not expect at hourly level a different conceptual conclusion in this target region. 332

<sup>&</sup>lt;sup>5</sup>The CIM-McClear for GHI performed slightly better (Laguarda et al., 2020) and the CIM-REST2 for GHI with MERRA2 atmospheric information gives very good estimates also (Laguarda, 2021). Since for GHI estimation all these CIM models have similar performances for this region at the hourly level, any of them can be used equivalently.

Site	$\mathbf{LE}$	LE MS LU Averag							
Model	GHI f	GHI from measurements and Eq. $(5)$							
rMBD (%)	+4.3	+9.6	+9.3	+7.1					
rRMSD (%)	14.4	19.1	18.3	16.7					
KSI $(Wh/m^2)$	35.0	46.1	51.7	43.7					
Model	GHI from CIM-ESRA and Eq. (5)								
rMBD (%)	+3.2	+8.5	+8.3	+6.1					
rRMSD (%)	22.9	29.2	25.9	24.9					
KSI $(Wh/m^2)$	59.0	57.9	65.6	61.8					

Table 8: Performance indicators for the two indirect methods to estimate DNI from Eq. (4) and the RA2s separation model.



(a) DNI estimated from measured GHI.

(b) DNI estimated from GHI satellite estimates (CIM-ESRA).

Figure 6: Scatter plots for the DNI at the LE site obtained by indirect methods based on the RA2s phenomenological directdiffuse separation model locally adjusted for the region.

The situation may be different in other regions with different climates or typical geographical conditions.

### 334 5. Conclusions

Two new variants of a Cloud Index Model (CIM) that directly estimate hourly DNI are proposed, implemented and assessed. These models achieve typical uncertainties of less than 20% when evaluated with data from three sites in the Southeastern South America region (SESA) region. This area has a moderate surface albedo and is known to exhibit challenging intermediate short-term solar irradiance variability. This article extends to DNI estimation the findings of Laguarda et al. (2020) for the (simpler) case of satellitebased GHI estimation.

The key elements introduced in this article are (i) a simple quadratic dependence of the attenuation factor 341 (F) on the cloud index and (ii) an ad-hoc procedure to calculate the satellite-based cloud index  $\eta$  for the 342 DNI case. Two CIM variants are considered, based on different clear sky models (REST2 and McClear) and 343 different sources for the required atmospheric information. REST2 is implemented with hourly atmospheric 344 information from the MERRA2 reanalysis database and McClear uses atmospheric information from the 34! Copernicus Atmospheric Monitoring Ssystem (CAMS, available every three hours). The CIMs are locally 346 adjusted by tuning two attenuation factor coefficients using local DNI measurements. As a result, the CIM-347 DNI models are essentially unbiased (with average bias deviations within  $\pm 0.5\%$ ). The typical dispersion 348 obtained, averaged over sites, was below 20% (in terms of rRMSD) for both variants. In the context of 349 satellite-based DNI estimation worldwide, this can be considered a good indicator, even for locally adjusted 350 models. The proposed quadratic relation between F and  $\eta$  is required, as opposed to CIM models for 351 GHI estimation, for which a linear relation is good enough. The two adjusted parameters have low spatial 352 variability across the three sites, suggesting they can be used in the broad SESA region without significant 353 degradation of performance. In fact, the determination of the cloud factor F from satellite information is 354 the most delicate aspect of the proposed CIM models' implementation but it must be done once, since the 35! results are applicable over large homogeneous geographical regions. 356

These good results are achieved at a low cost in terms of implementation. The variant CIM-McClear does not even require the user to implement a clear sky model or deal with atmospheric data, since McClear's estimates are downloaded from the CAMS website for arbitrary locations. The other variant is based on a clear sky model that can be locally implemented without difficulty and on atmospheric data which can be accessed from the publicly available MERRA2 site.

An alternative method based on the use of phenomenological diffuse-direct separation models to obtain DNI from GHI estimated from a satellite CIM was tested. The results indicate a significant bias between 3 and 8% and a rRMSD between 23 and 30%, depending on the site. The CIM-DNI models presented here represent the best alternatives for DNI estimation in this region. Both have similar performance and, depending on the application, one or the other strategy may be used. For research purposes, CIM-REST2 with MERRA-2 atmospheric information is relatively simple to implement and provides full control over the generated estimates. The CIM-McClear DNI estimates are delivered operationally, making it convenient for some technological applications. Its use implies a lack of control, as the McClear model is not easy to implement locally due to its inherent complexity. 370

As stated, even if the results presented in this article are specific to the SESA geographical region, which has only moderate ground albedos, similar ideas can be applied successfully in other regions, provided they do not have areas with high albedos (typically associated with deserts, permanent snow cover or salt flats). Some of these regions exist in South America, so in future work these CIM models should be extended by using infrared channel satellite information in order to successfully distinguish clouds in images with high surface albedos. This could result in greater generality, provided an acceptable performance is obtained over a continental scale.

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